



Analysis in seismic provisions for buildings – past, present and future

The fifth Prof. Nicholas Ambraseys lecture

Peter Fajfar

Seismic response of structures

- Dynamic
- Nonlinear
- Random

Three pillars

- Dynamics
- Nonlinearity
- Probabilistics

Delphi

Blind prediction contest

RC bridge column

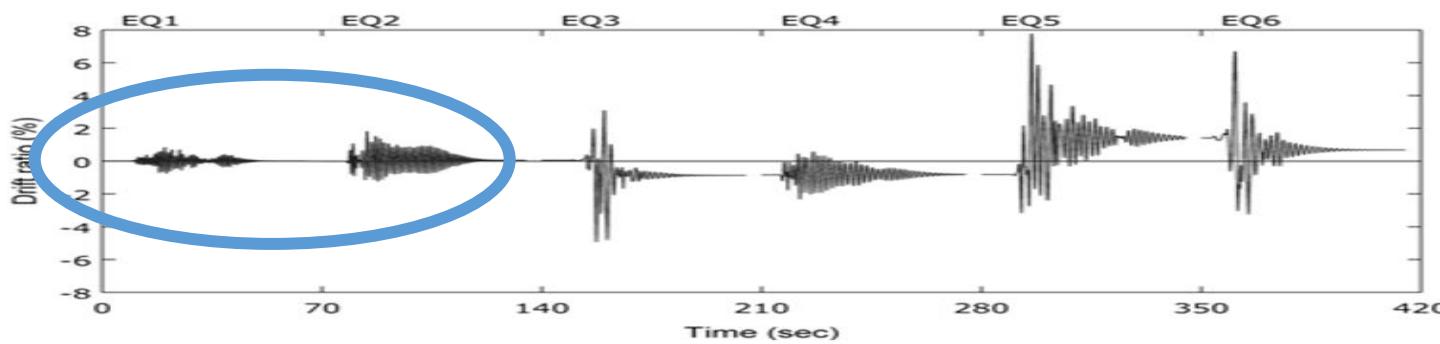
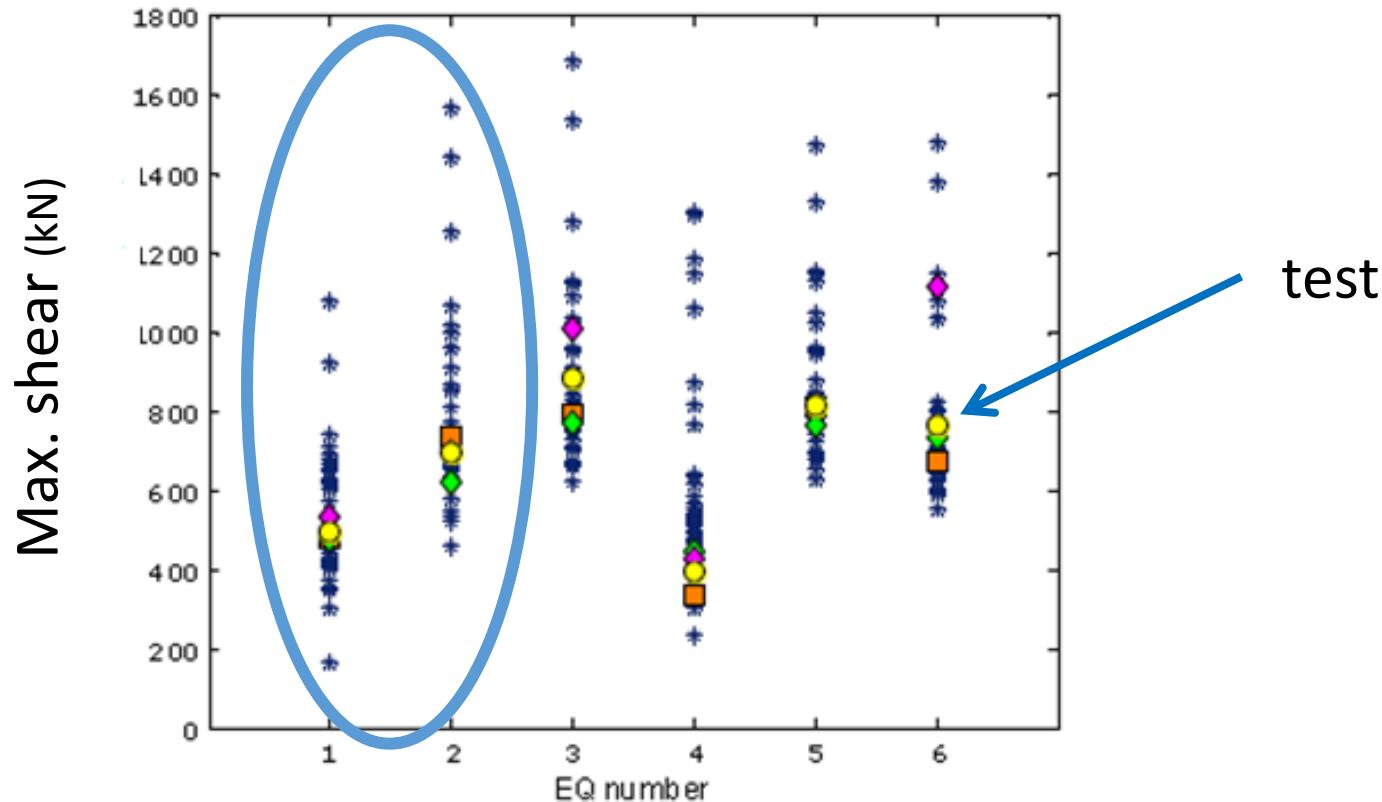
PEER UCSD outdoor shaking table 2010



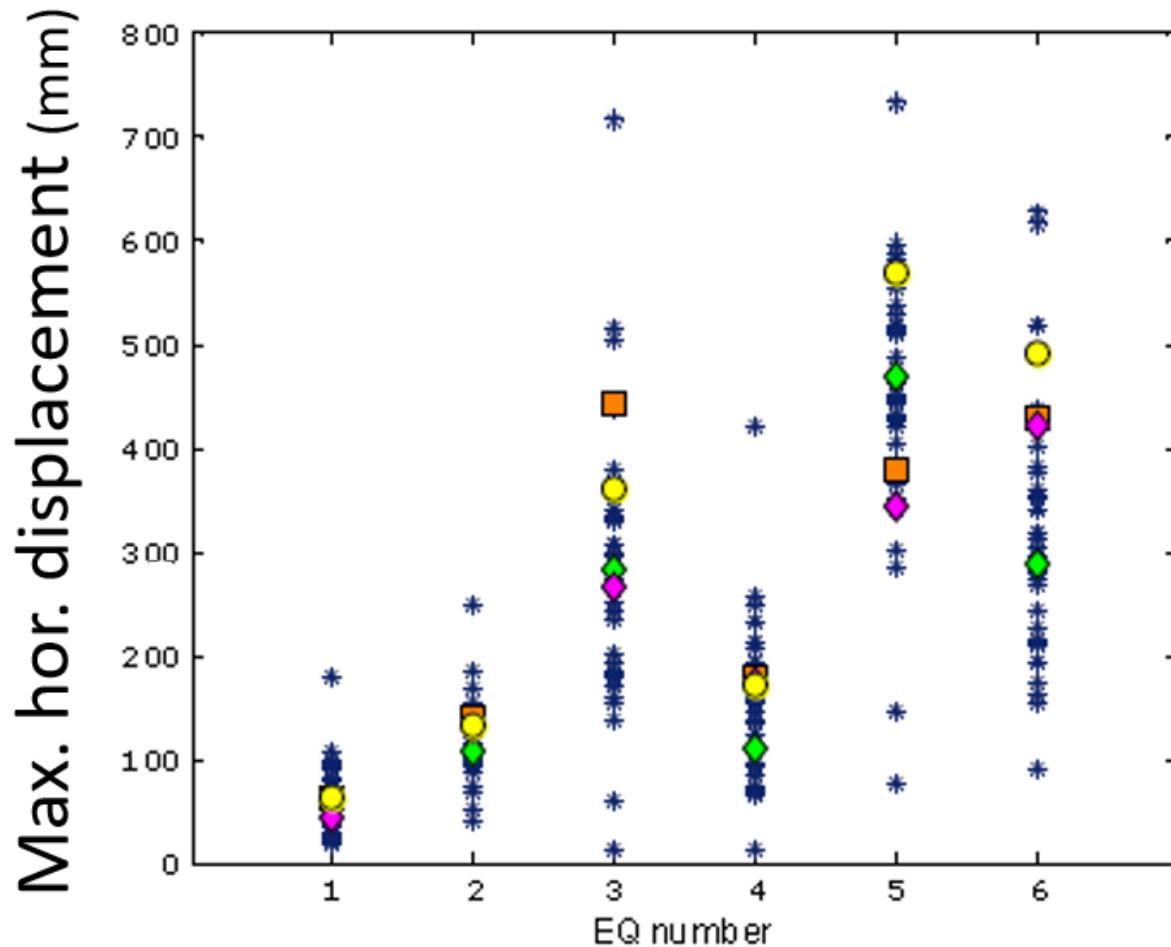
42 teams from 14 countries

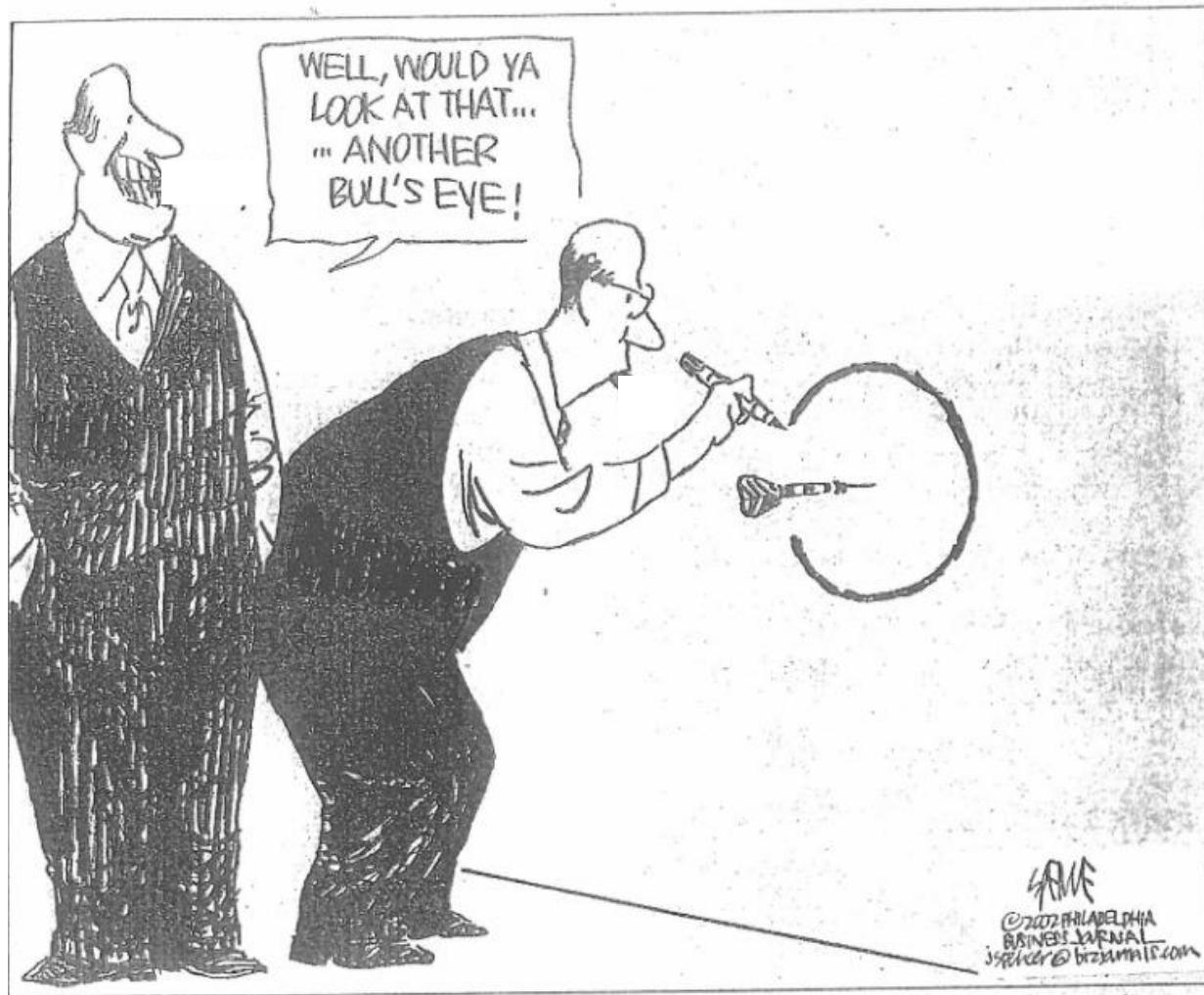
Terzic et al, 2015

Shear force



Displacement





Lesson learned

Ability of the profession (on average) to adequately predict the seismic structural response is limited

Known:

- Ground motion
- Material characteristics

Lesson confirmed

Today, ready access to versatile and powerful software enables the engineer to do more and think less.



M. Sozen (A Way of Thinking, EERI Newsletter, 2002)

Scope

- Introduction
- History
- Present
- Future
- Conclusions

Earthquake engineering is a twentieth century development.

1908 Messina earthquake was responsible for the birth of practical earthquake design of structures.



G.W.Housner 1984

History (1908 - 1978)

Dominated by equivalent static analysis

Gradual implementation of dynamics



Italy 1909

- First seismic analysis in codes (after 1908 Messina Eq.)
- Equivalent static analysis
- Seismic coefficient

$C_s = \text{Horizontal force} / \text{Weight} = \text{about } 10\%$



Japan 1924

- First seismic code in Japan (after 1923 Great Kanto Eq.)
- Equivalent static analysis
- $C_s = 10\%$



USA

- **1906** San Francisco earthquake
- **1927** Optional seismic provisions (UBC)
- **1933** First mandatory seismic code
- **1943** $C_s = C_s (H)$
- **1956** $C_s = C_s (T)$
- **1959** Energy dissipation (SEAOC model code)

C_s = up to 10%

Dynamic analysis

A. Danusso proposed a dynamic analysis method
(Italy 1908)

Implementation of the **modal response spectrum analysis** in code (USSR 1957)

Popular in Europe

Main method in Eurocode 8

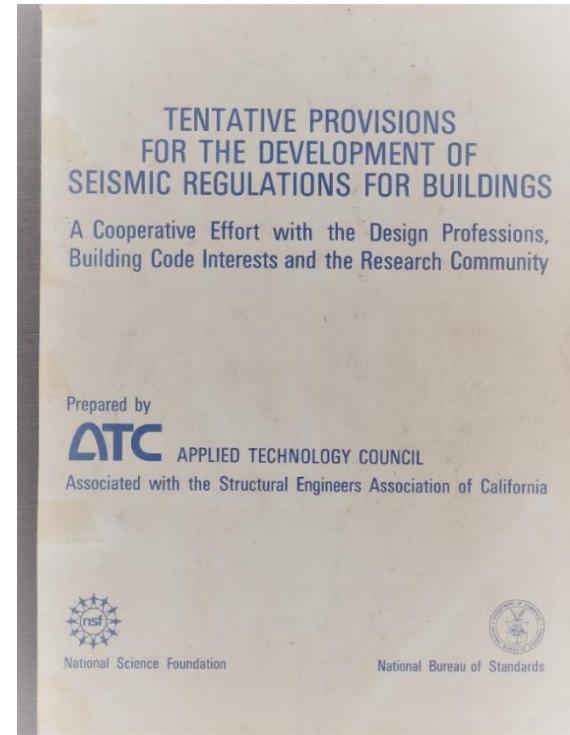
Milestone

ATC 3-06

Tentative provisions (1978)

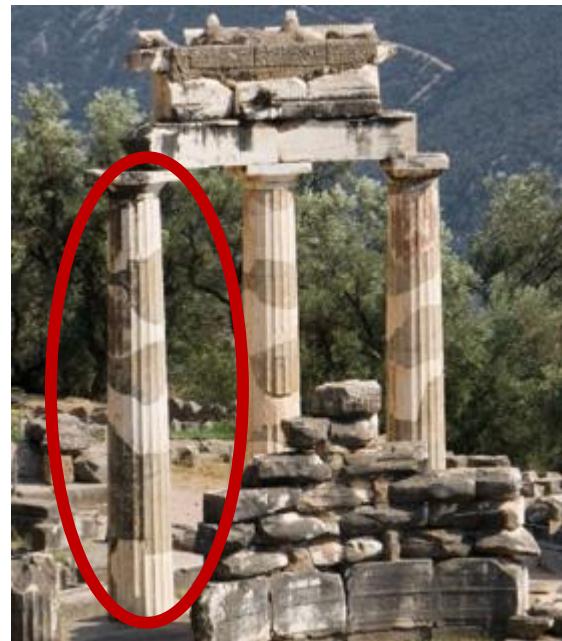
Start of modern codes

- probabilistic seismic maps
- force reduction R-factors
- modal response spectrum analysis

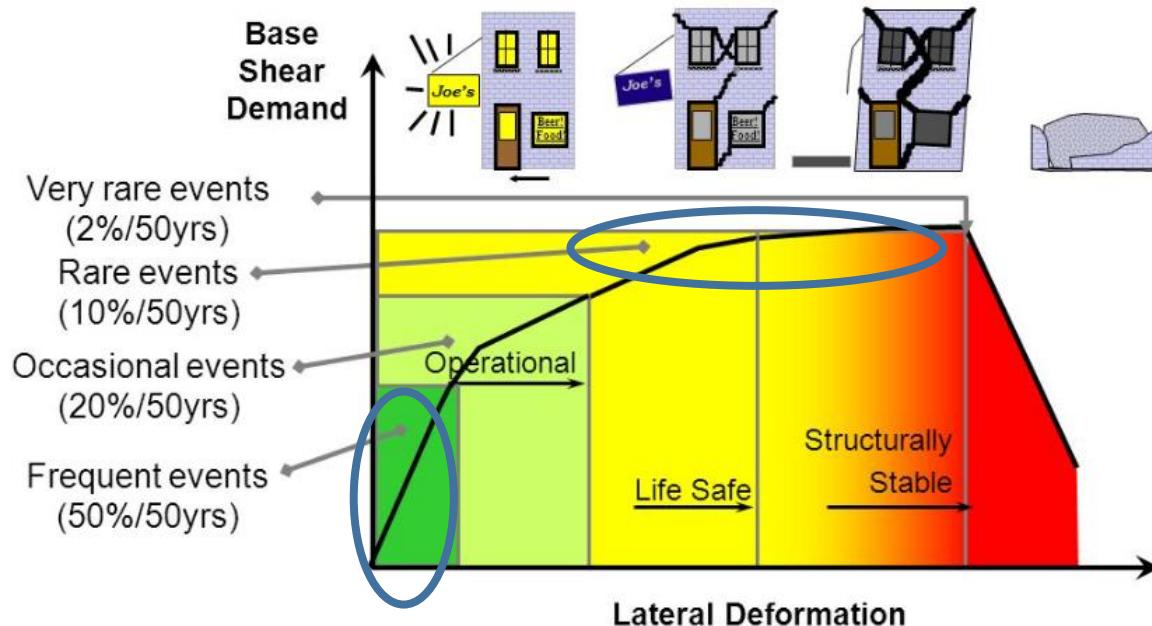


Present

Gradual implementation of nonlinear methods



Nonlinear analysis



Thinking in terms of displacements rather than forces is required

Nonlinear analysis

Dynamic (response-history)

Pushover - based

Nonlinear dynamic analysis

The **most advanced** available tool

Irreplaceable in research and analysis of important structures

Theoretically correct

Disadvantages for practical applications

- Computationally demanding
- Additional data needed
- Sensitivity of computed response
- Less transparent
- Significant judgement required
- Peer review needed

Nonlinear analysis

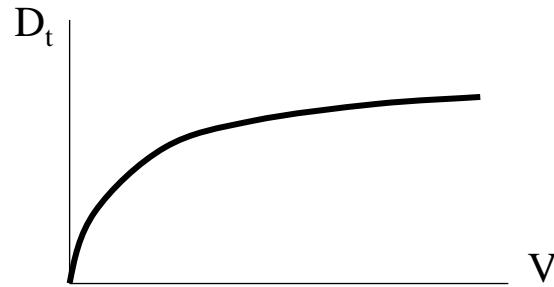
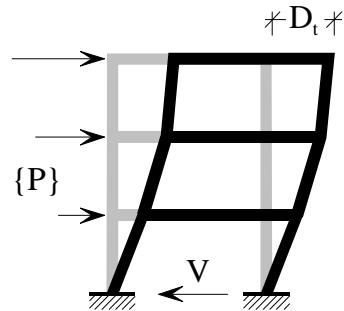
The more complex the nonlinear analysis method, the more ambiguous the decision and interpretation process is.



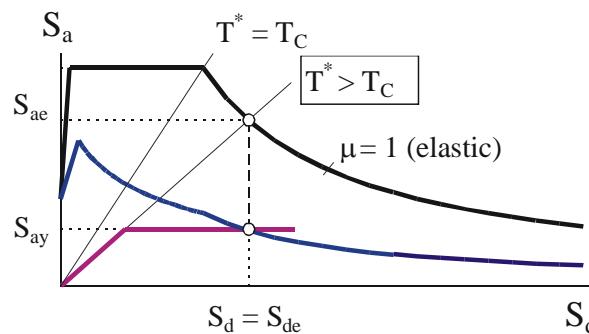
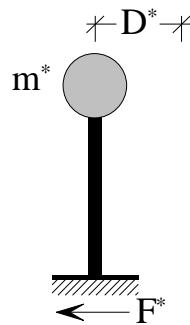
Helmut Krawinkler

Pushover-based methods

Nonlinear static (pushover) analysis of MDOF model



Response spectrum analysis of equivalent SDOF model



Limitation: structures vibrating predominantly in a single mode

Equal displacement rule

Veletsos and Newmark, 1960

Displacement of an inelastic SDOF structure is approximately equal to the displacement of the corresponding linear elastic structure with the same stiffness and mass

Empirical observation, repeatedly confirmed as a good approximation for a large number of structures

A computational tool for determining the displacement of an inelastic structure

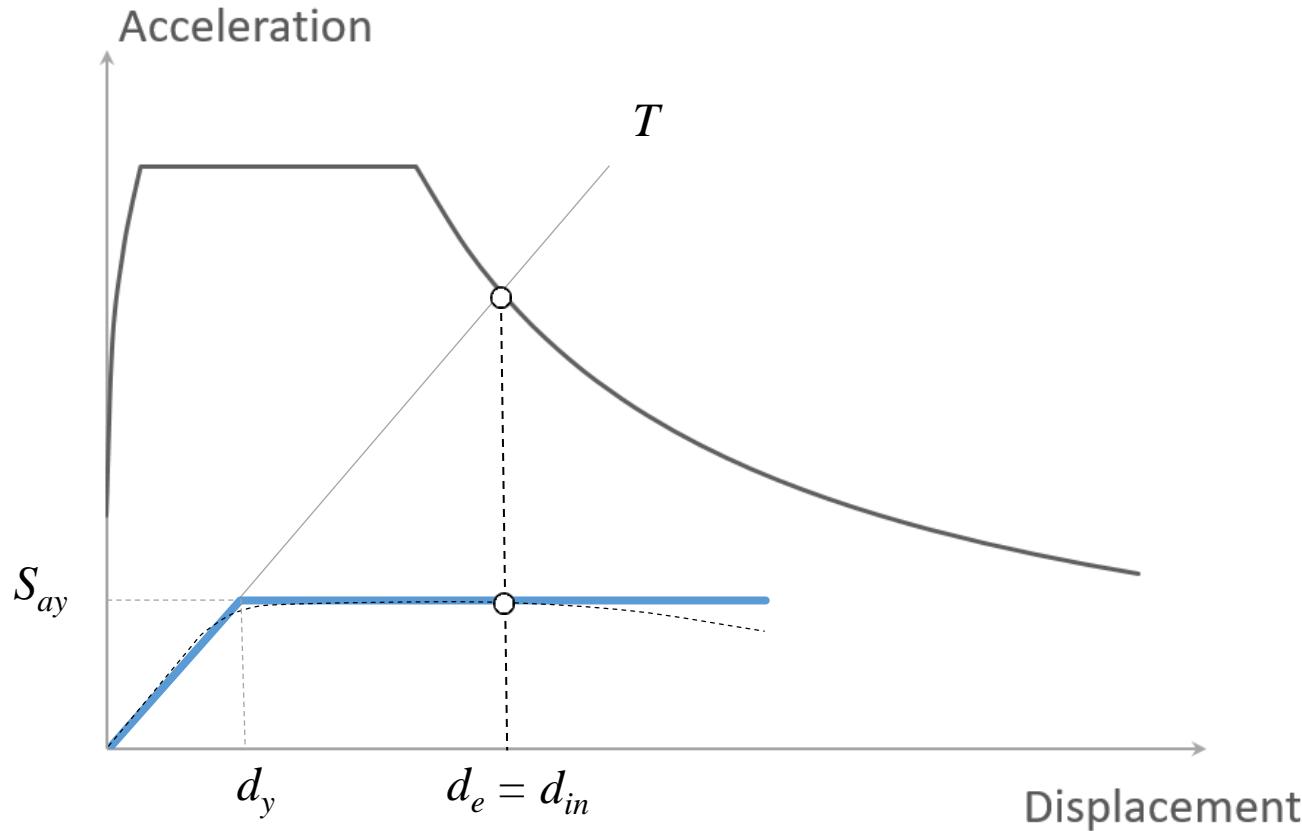
Equal displacement rule

Allows development of simplified rules in nonlinear analysis

Allows clear graphic presentations

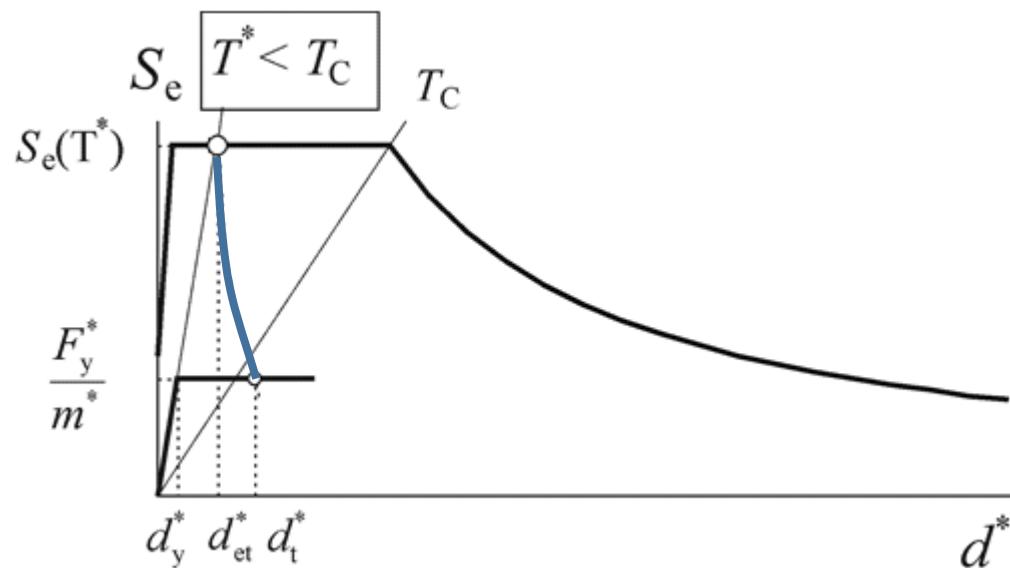
Facilitates understanding

Limitations apply!



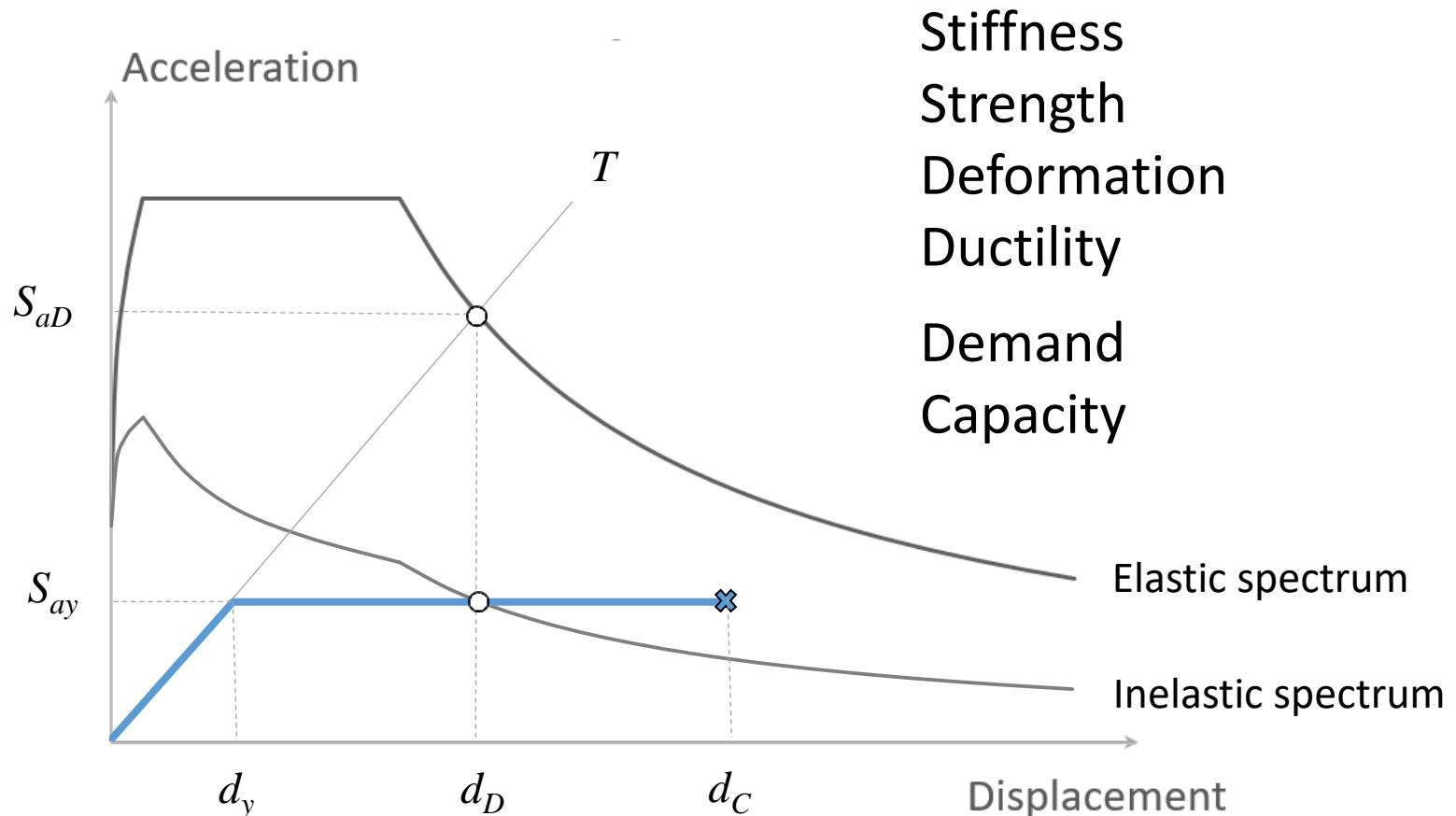
Inelastic displacement

Short period structures in EC8

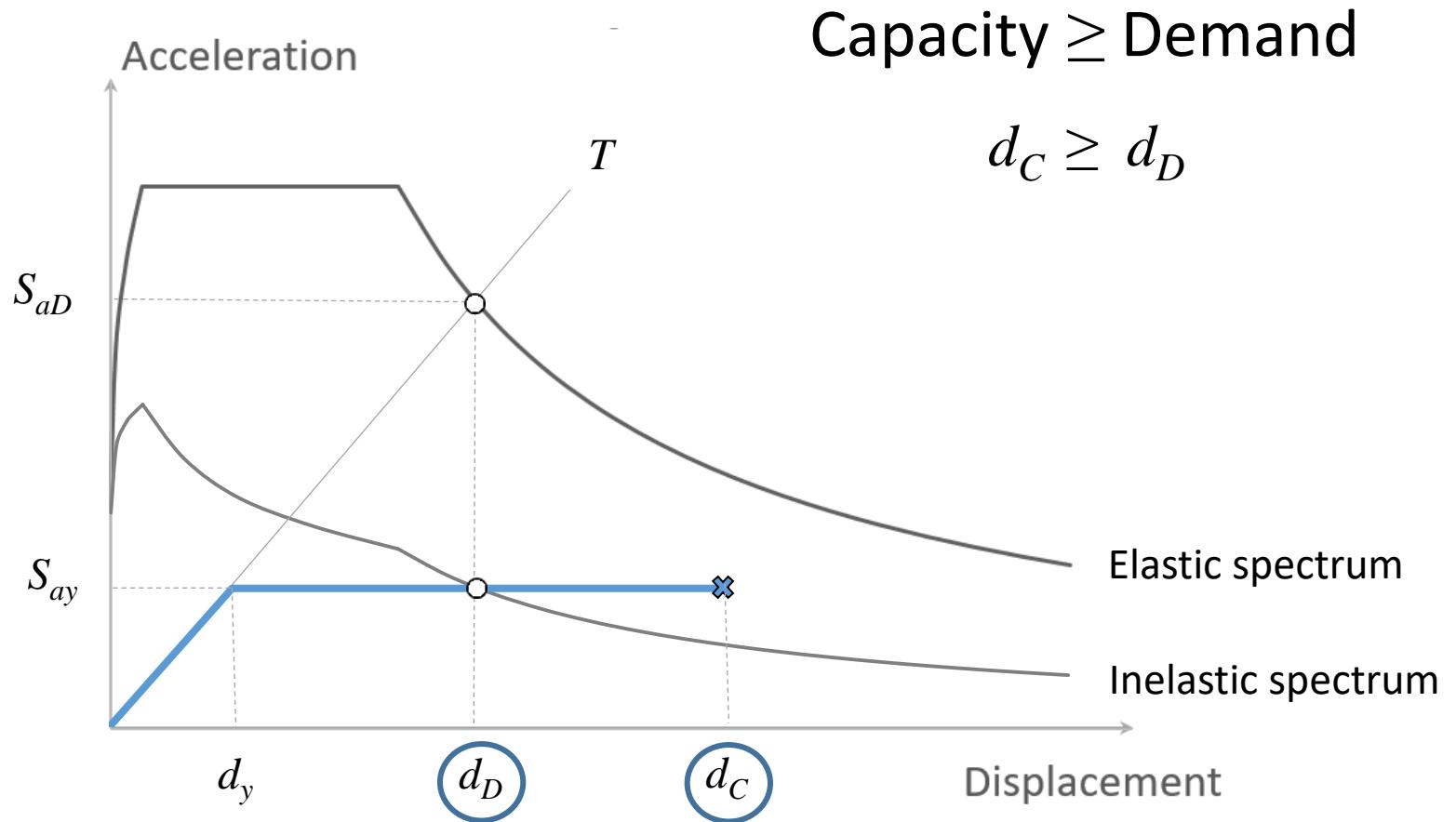


Graphical representation

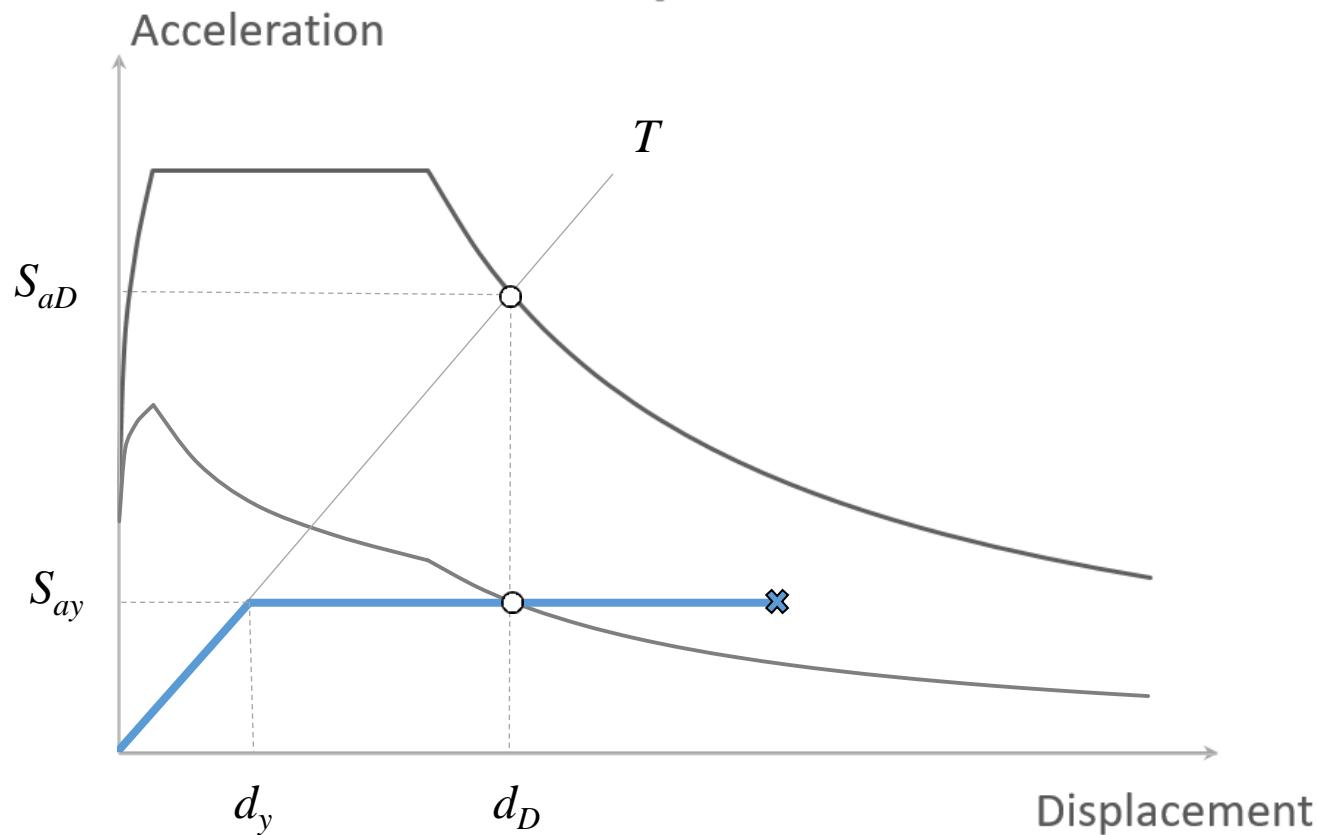
ADRS (AD) format: Mahaney, Paret, Kehoe, Freeman (1993)



Assessment



Direct displacement based design



Extensions of pushover-based methods

Pushover analyses were introduced as simple methods ...

Refining them to a degree that may not be justified by their underlying assumptions and making them more complicated than the nonlinear response-history analysis ...

defeats the purpose of using such procedures.

Baros and Anagnostopoulos, 2008

Torsion and higher modes in elevation

Extended N2 method

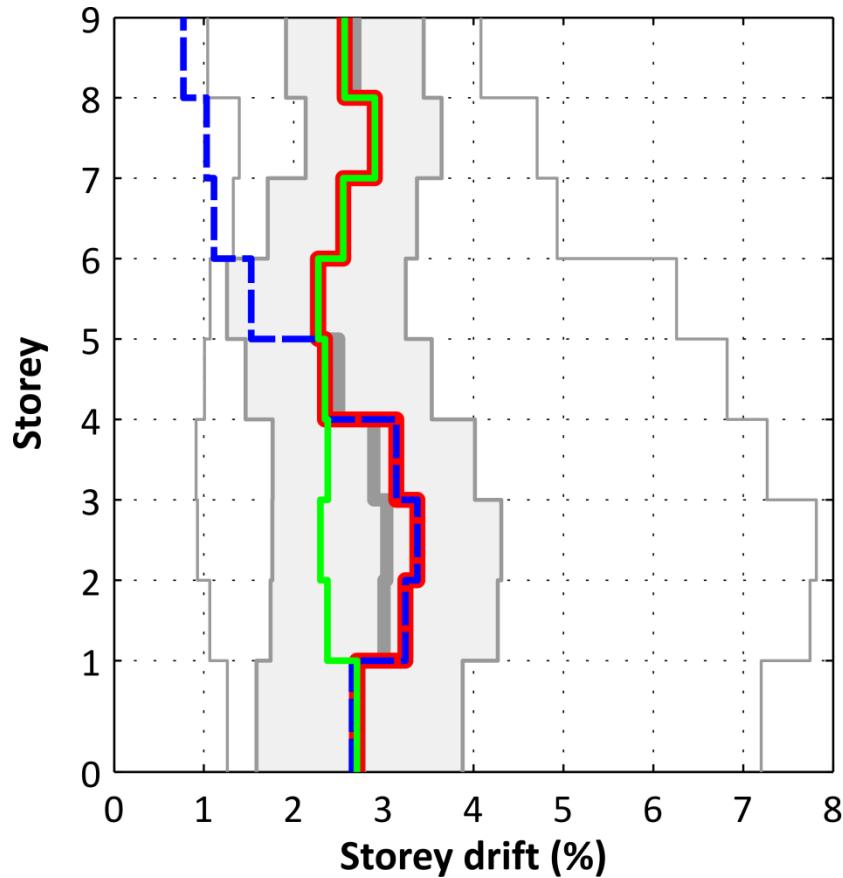
Combination (envelope) of

- Basic pushover analysis
- Elastic modal response spectrum analysis (normalized)

Implemented in the 2nd generation EC8-1 (final draft)

Similar idea in ASCE 41 and recent NZ guidelines
(for higher modes in elevation)

Higher modes in elevation



Nonlinear response history analysis (NRHA)

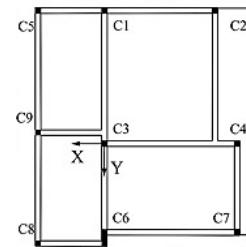
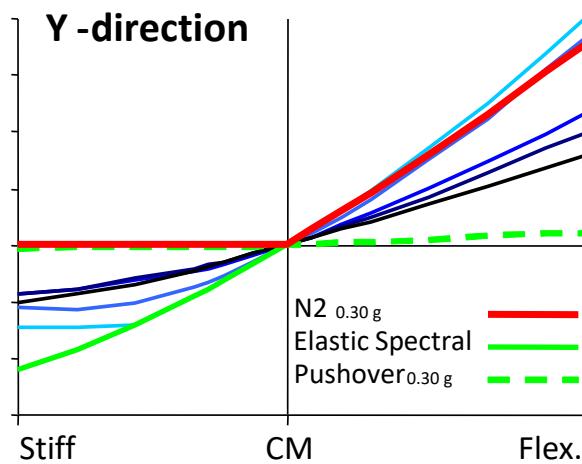
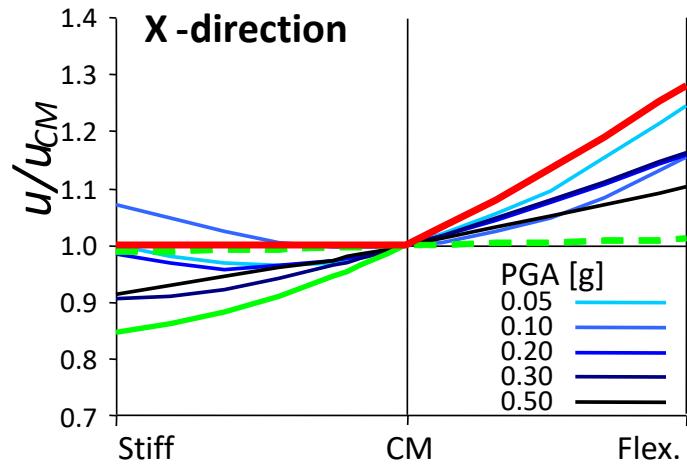
- mean
- mean $\pm \sigma$
- envelope
- Pushover (= Basic N2)
- Elastic modal analysis (normalized)
- Extended N2

9-storey LA building (SAC)
Kreslin and Fajfar, EESD, 2011

SPEAR building



Torsion



SPEAR building

Comments on pushover-based analysis

Provides important information not available in the case of **linear elastic analysis**.

In principle, less accurate than **nonlinear dynamic analysis**. Limitations apply.

However

- is much simpler
- permits visualization of structural response and of interaction between important parameters
- **contributes to a better understanding of the structural behaviour during strong earthquakes**

Future

Risk assessment

Is it a feasible option for codes?



Probabilistic methods

- Engineers not familiar and hesitant
- Research community skeptical
- Rigorous explicit approaches too complex

Not used in engineering practice
(average uncertainty included in safety factors)

Highly simplified methods are needed

Probabilistic analysis in current codes

Maps

- Seismic hazard maps
- Risk-targeted ground motion maps (US)

Explicit probabilistic approach is permitted by US (ASCE) code

Probabilistic analysis in future codes ?

2nd generation EC8-1 (final draft):

Informative Annex F

“Simplified reliability-based verification format”

Initially drafted by Dolšek et al.

Basic ideas and formulas for a simplified approach

Pushover-based Risk Assessment (PRA) method

Practice-oriented explicit probabilistic method

Combination of

- Cornell's closed form formula for the probability of exceedance of LS (SAC-FEMA probabilistic approach, "risk equation")
- Pushover-based N2 method

PRA method

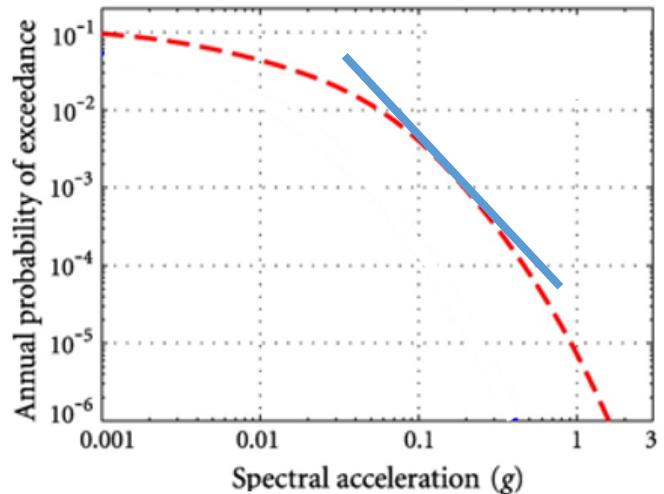
P_{NC} annual probability of “failure”
NC limit state = economic failure

$$P_{NC} = e^{0.5 k^2 \beta_{NC}^2} H(S_{aNC})$$

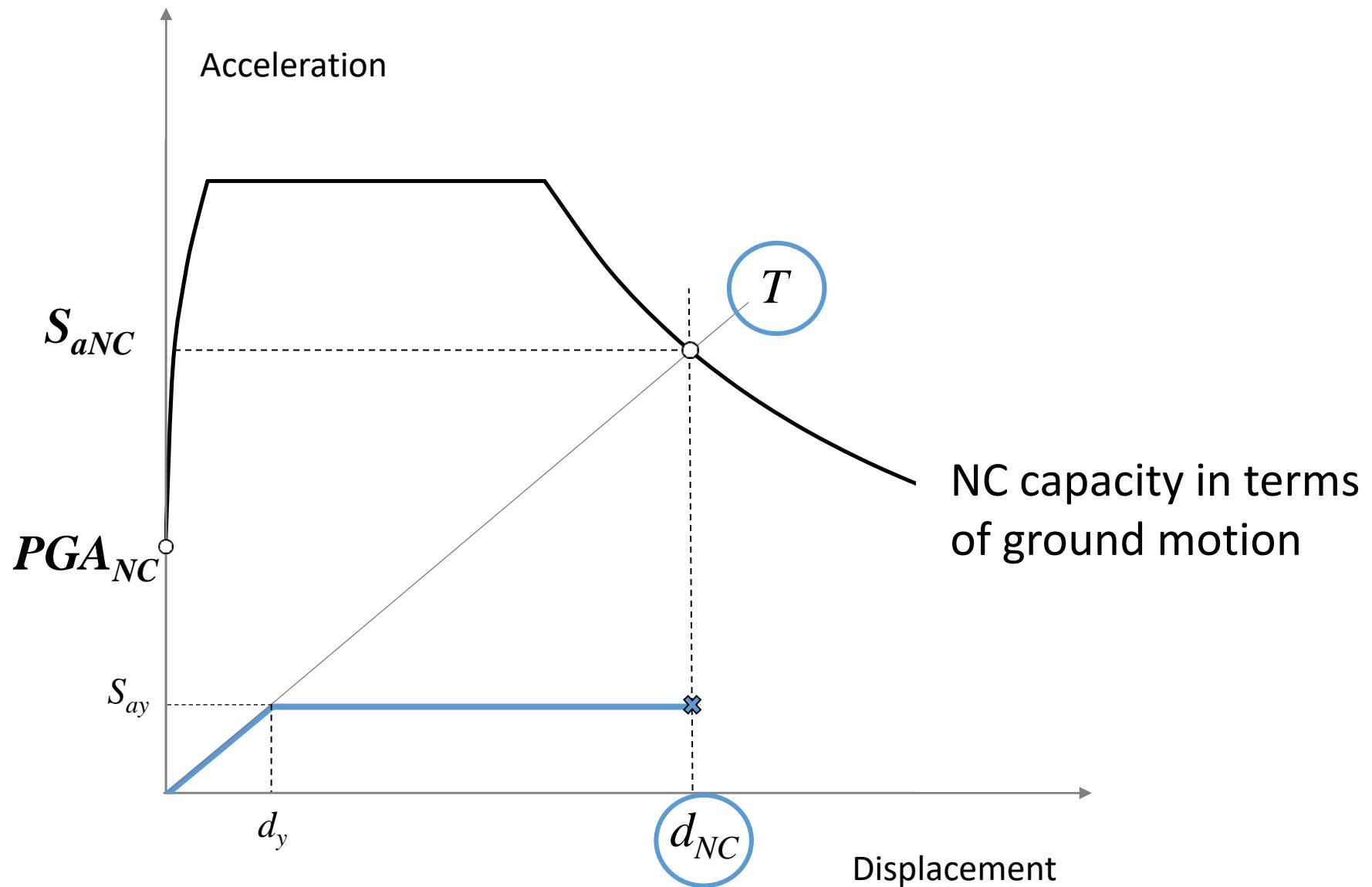
$$H(S_a) = k_o S_a^{-k}$$

$$S_a = S_a(T_I) \text{ or } PGA$$

k, k_o parameters of the hazard curve
 β_{NC} dispersion measure (predetermined value)
 S_{aNC} NC (failure) capacity in terms of S_a (N2 method)



Determination of S_{aNC}



Probability of failure P_{NC} versus probability of ground motion $H(S_{aNC})$

$$P_{NC} = e^{0.5 k^2 \beta_{NC}^2} H(S_{aNC})$$

$$k = 3, \beta_{NC} = 0.5 \qquad \qquad \qquad 3.08$$

$$\beta_{NC} = 0 \qquad \qquad \qquad 1.0$$

Calculated versus tolerable probability

$$P_{NC} \leq P_t$$

Calculated probabilities of failure P_{NC} in 50 years (NC LS)

Code designed buildings: **0.25% - 1%**

Buildings not designed for seismic resistance: up to **40%**

Tolerable (acceptable, target) probabilities of failure P_t in 50 years (common buildings)

US and EC8 (2nd generation): **1%**

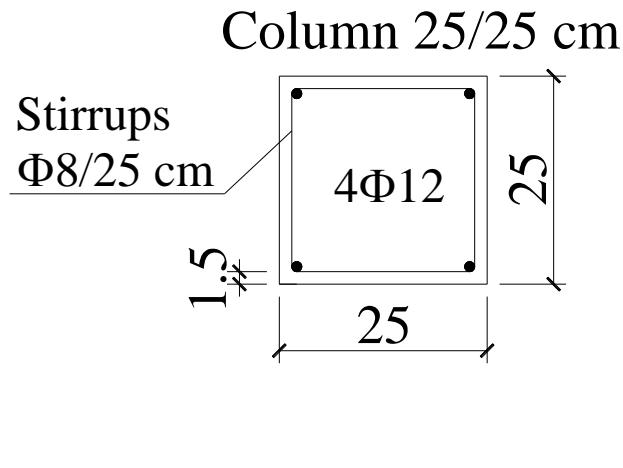
Survey (Slovenia): **0.1%**

SPEAR building

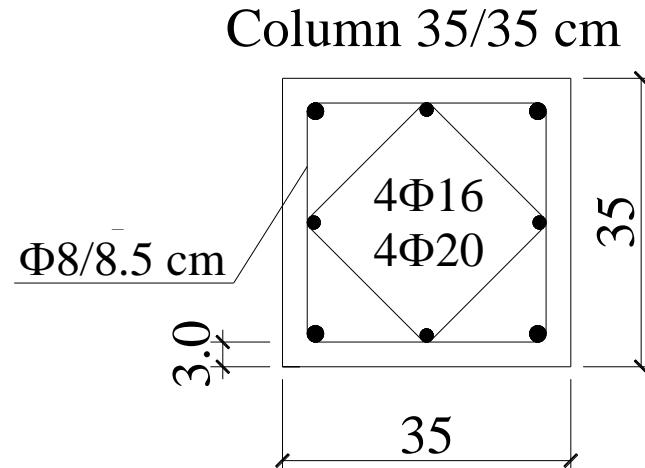


Typical cross-sections of columns

Test building

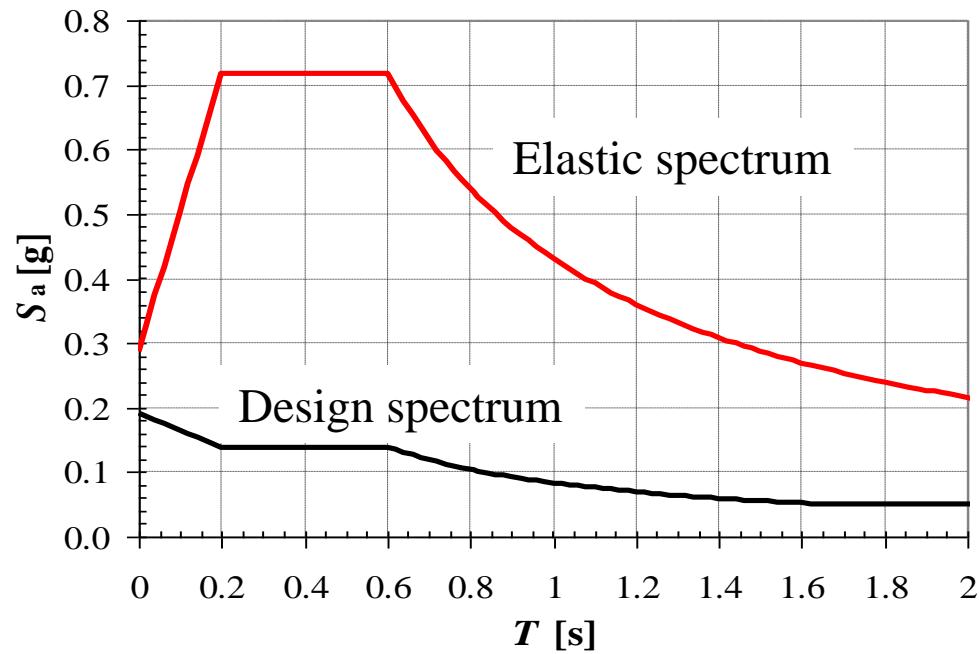


EC8 H



Seismic loading

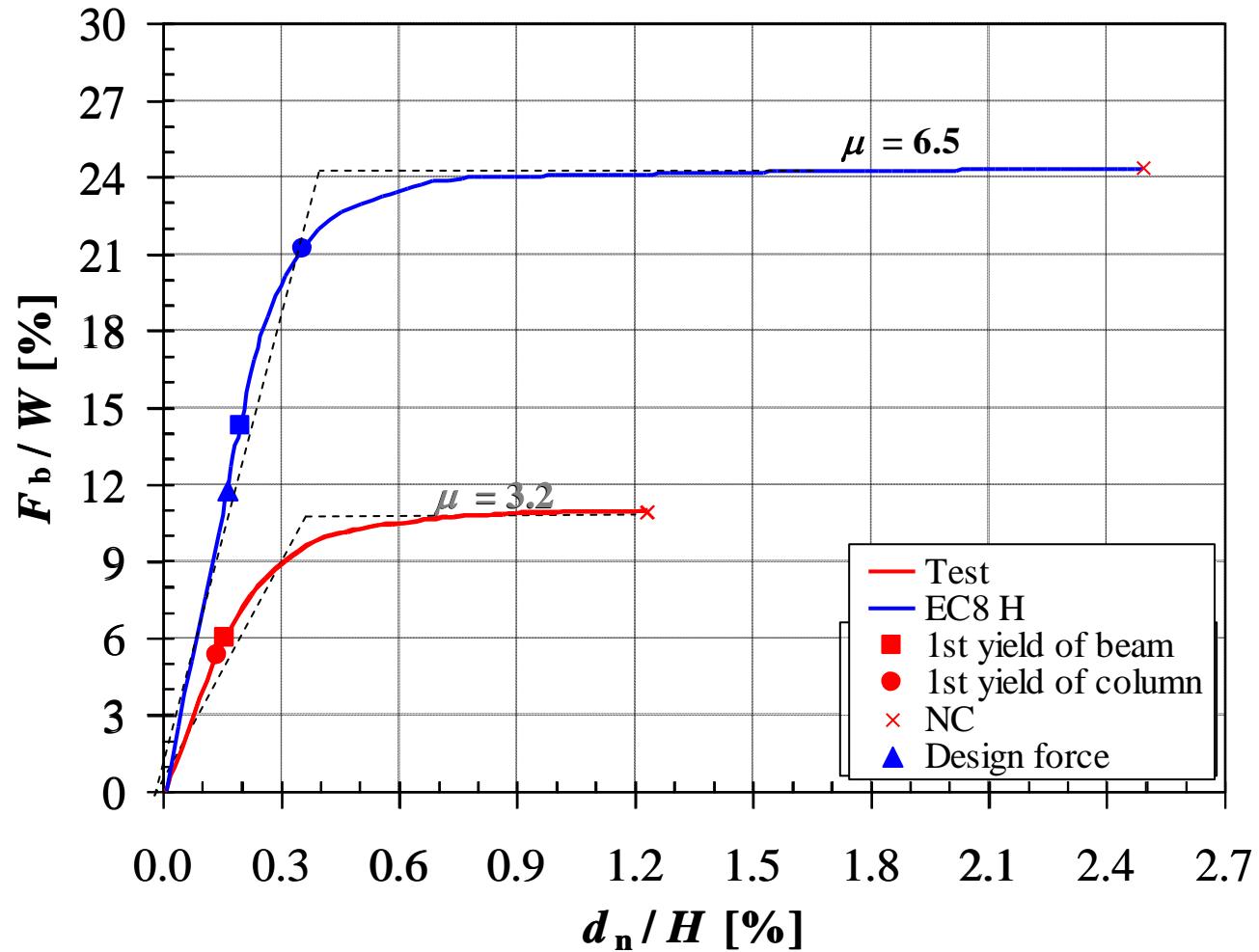
EC8, Soil type C



Pushover curves

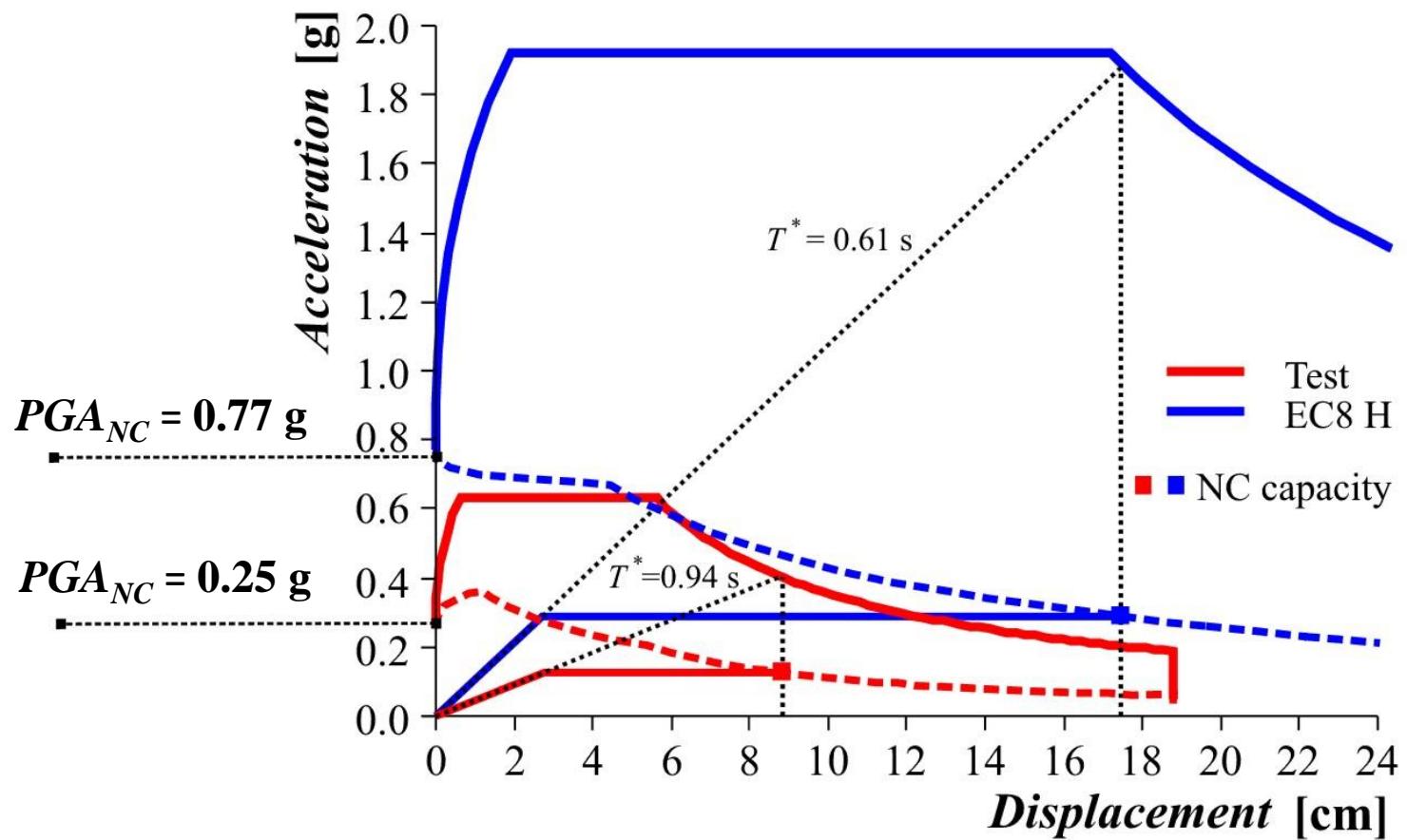
X direction

- Test
- EC8 H



Seismic capacity (NC)

- Test
- EC8 H



Probability of failure

Test building

$PGA_{NC} = 0.25 \text{ g}$

$P_{NC} \cong 30\% \text{ in 50 years}$

EC8 H building

$PGA_{NC} = 0.77 \text{ g}$

$P_{NC} \cong 1\% \text{ in 50 years}$

Risk-targeted approach

Based on work (idea, formulation and development of formulas) of **M.Dolšek** and his former PhD students

- Žižmond and Dolšek, 2014 (unpublished manuscript)
- Žižmond and Dolšek, 2017 (16WCEE)
- Dolšek et al., 2017 (EESD)

Used for assessment or design

Takes into account the target probability of failure

Risk-targeted safety factor γ

$$P_{NC} = e^{0.5 k^2 \beta_{NC}^2} H(S_{aNC})$$

$$\frac{S_{aNC}}{S_{aD}} = e^{0.5 k \beta_{NC}^2} \left(\frac{T_{NC}}{T_D} \right)^{\frac{1}{k}} = \gamma$$

$T_{NC} = T_t$ target return period of failure ($T_t = 1/P_t$)
 T_D return period of design ground motion

Quantification of γ

$$\gamma = e^{0.5 k \beta_{NC}^2} \left(\frac{T_{NC}}{T_D} \right)^{\frac{1}{k}}$$



3.20

1.46

2.19

$$1.0 \text{ if } \beta_{NC} = 0 \quad 1.0 \text{ if } T_D = T_{NC}$$

$$k = 3$$

$$\beta_{NC} = 0.5$$

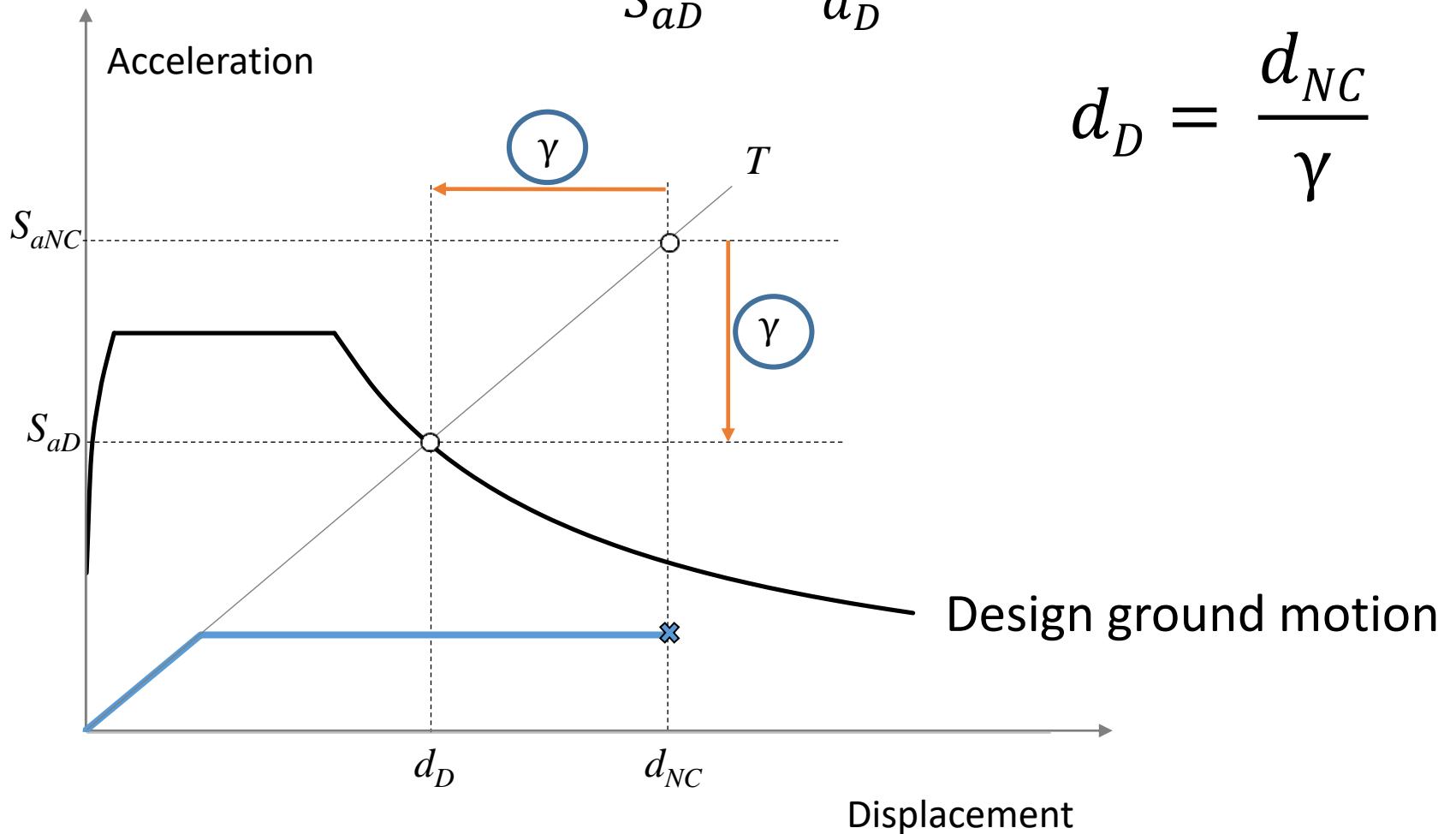
$$T_{NC} = 5000 \text{ years } (P_t = 1\% \text{ in 50 years})$$

$$T_D = 475 \text{ years } (P_D = 10\% \text{ in 50 years})$$

Graphical representation of γ

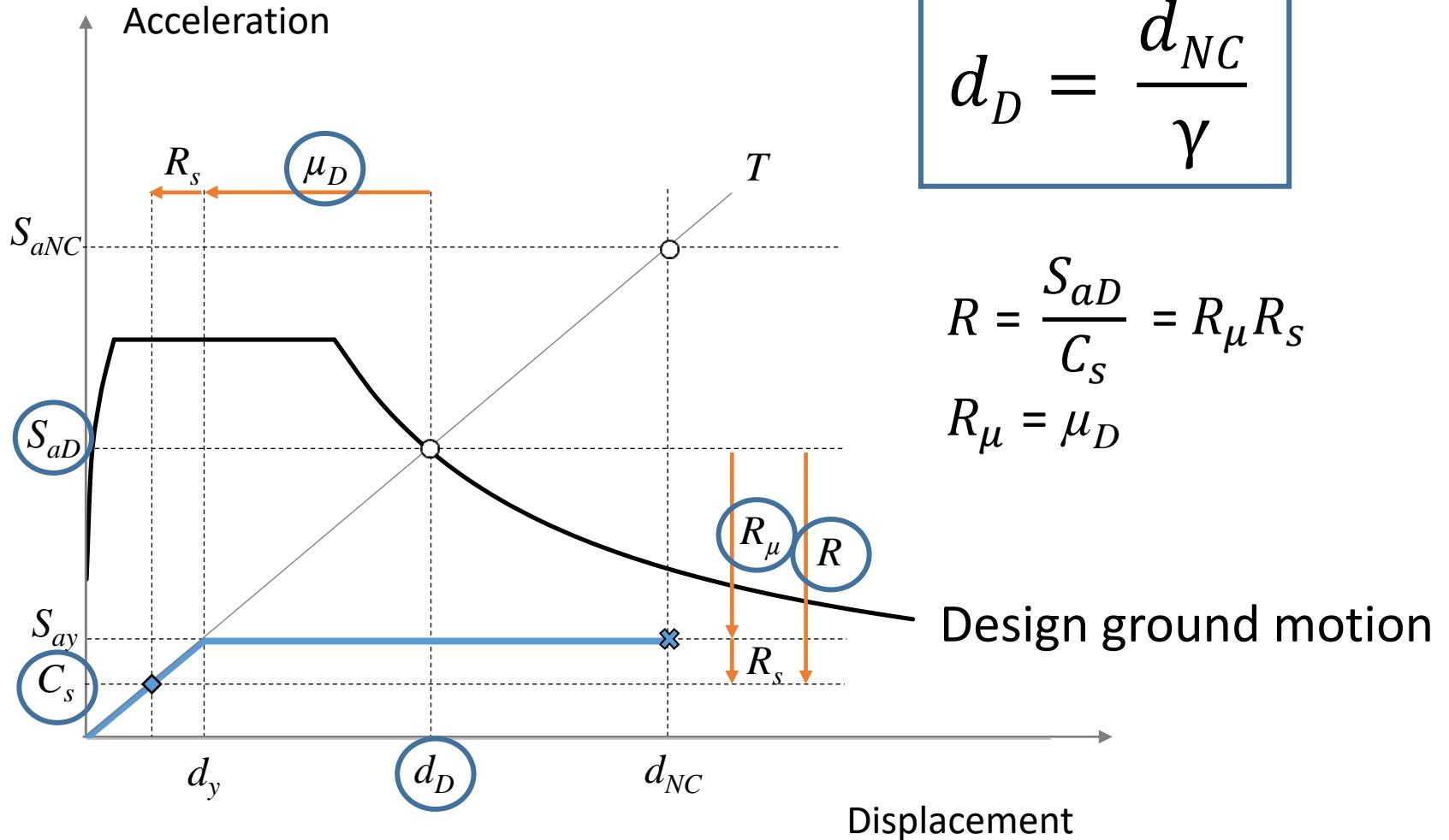
$$\gamma = \frac{S_{aNc}}{S_{aD}} = \frac{d_{Nc}}{d_D}$$

$$d_D = \frac{d_{Nc}}{\gamma}$$



Force reduction R factor

Behaviour factor q in EC8



Force reduction R factor

$$R = R_\mu R_s$$

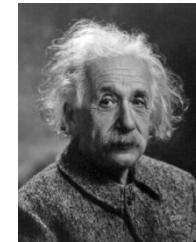
$$R_\mu \neq \mu_{NC} \quad !$$

$$R_\mu = \mu_D = \frac{\mu_{NC}}{\gamma}$$

Conclusion

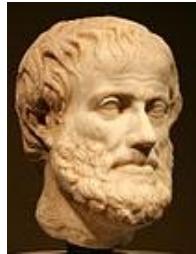
Analysis procedures available for all needs

Everything should be made as simple as possible, but not simpler



A. Einstein

It is the mark of an educated mind to rest satisfied with the degree of precision which the nature of the subject admits and not to seek exactness where only an approximation is possible.

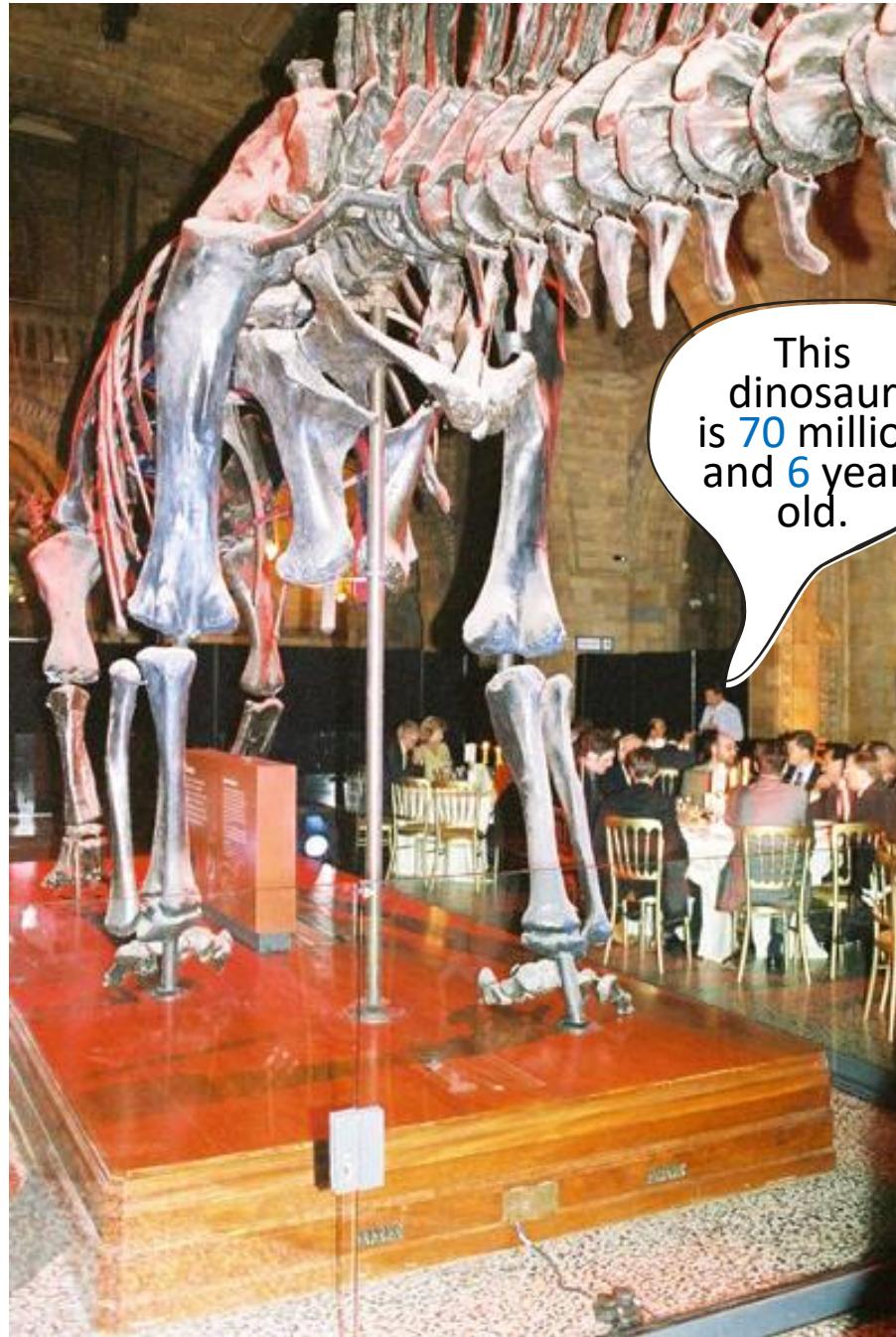


Aristotle (Nicomachean Ethics, Book One, Chapter 3)
(borrowed from P. GÜLKAN)

12thECEE, London 2002

Natural history museum





This
dinosaur
is 70 million
and 6 years
old.

